

GDC

Vehicle Physics and Tire Dynamics in Just Cause 4

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GAME DEVELOPERS CONFERENCE

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JUST CAUSE 4™



Goals: Open-World-Action Physics

Limited CPU Budget

30Hz Timestep

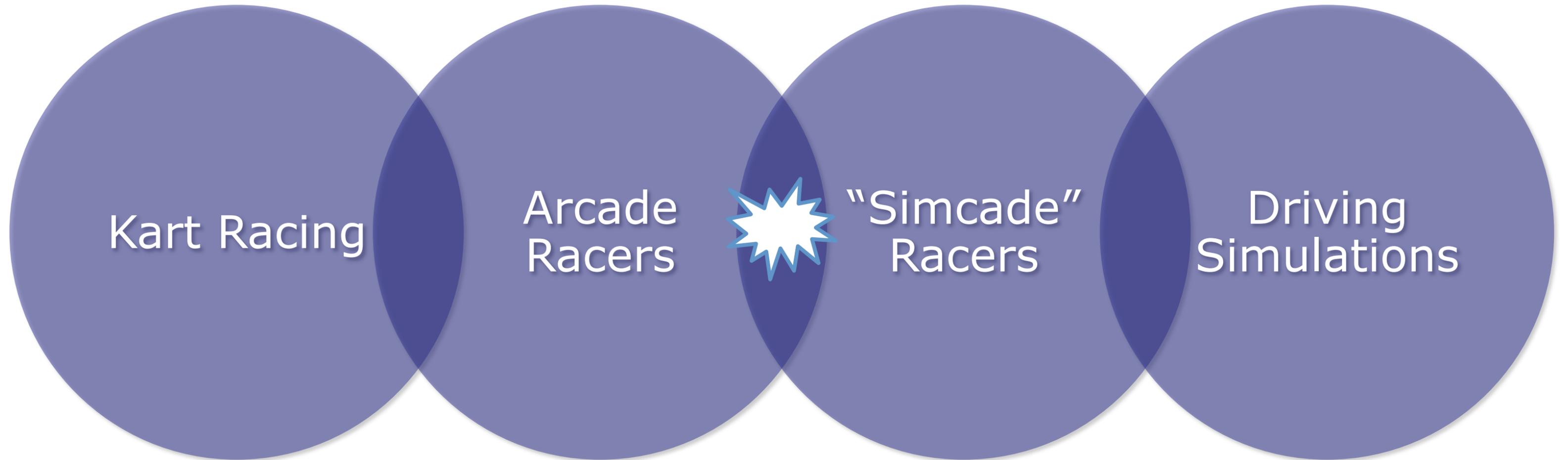
“Believable”

Limited “Cognitive Load”

Wide Range of Vehicles

Diverse Driving Environment

Range of handling



Just Cause 4 recipe

- Similar input parameters as simulation models
- Higher grip than real (especially in braking phase)
- Friction clamps to stay physically stable
- Drawn friction curves
- Scale down pitch and roll components
- Add “driver assists” e.g. drift control on whole vehicle

MF-Tire and semi-empirical models

1. Take a real tire.
2. Measure forces in a machine with varying input parameters.
3. Parameterize so mathematical formulae curve-fit forces.

Requires real tire data: hard to hand-modify

Real tires have undesirable properties

Poor feedback at 30Hz especially with game pads

- Wheel load sensitivity causes transient behavior.
- Using weight transfer for cornering becomes unreliable.

Understeer under braking

- Requires too much planning for open world action game.

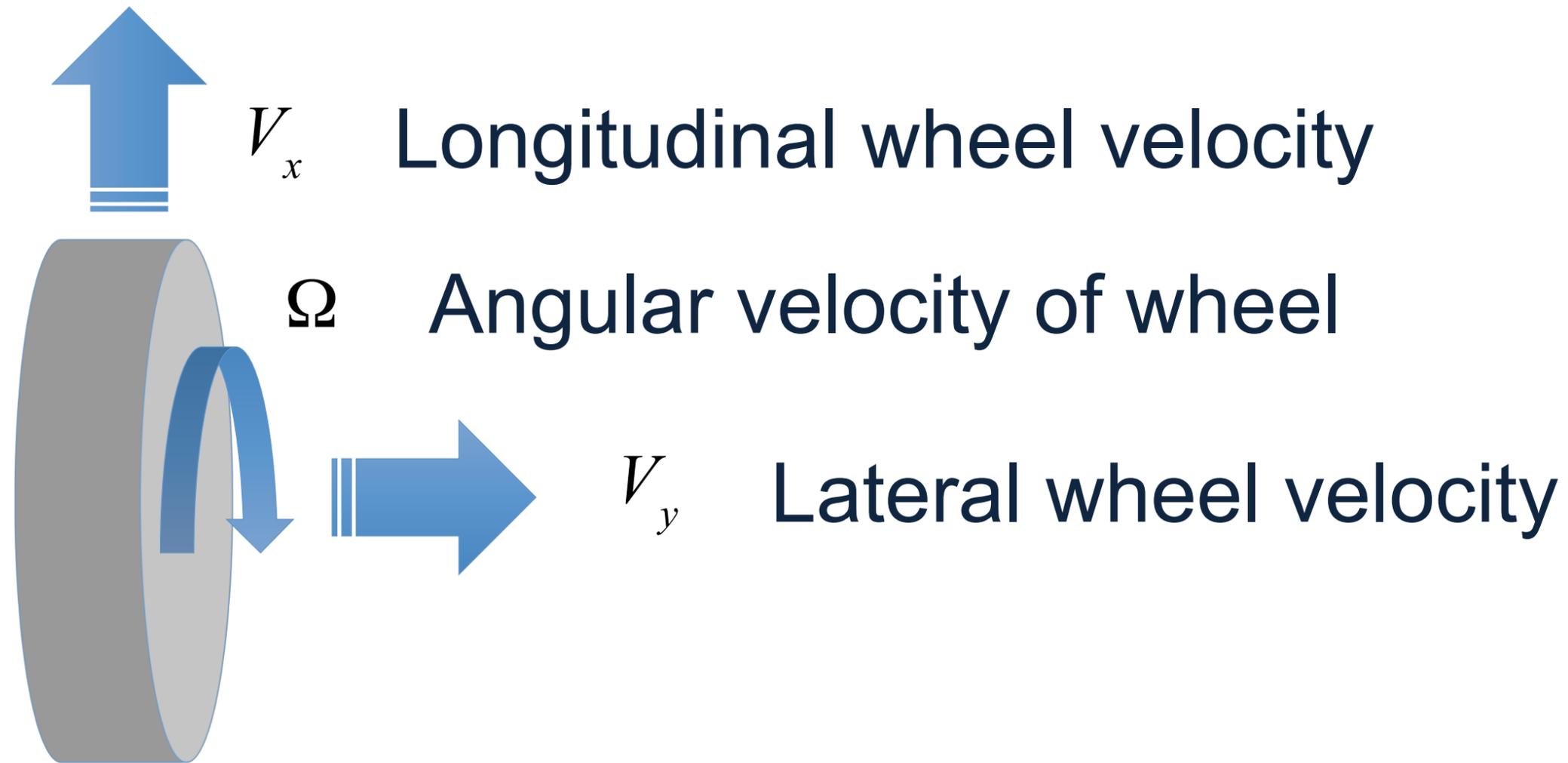
Oversteer can be corrected by traction control and stability control

- Indirect control is complicated to get right.

Tire setup

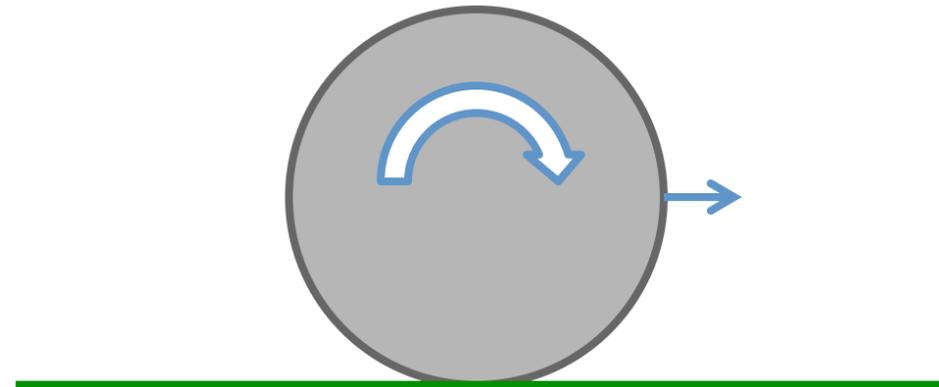
- Wheel position and orientation (incl. steer)
- Wheel linear velocity
- Wheel angular velocity
- Tire ground patch position and normal

Tire reference frame



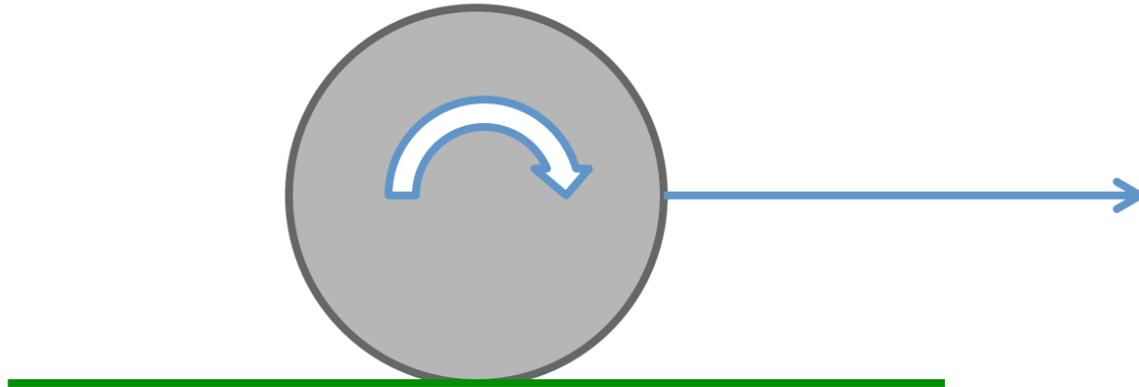
Slip Ratio

Wheel spin:



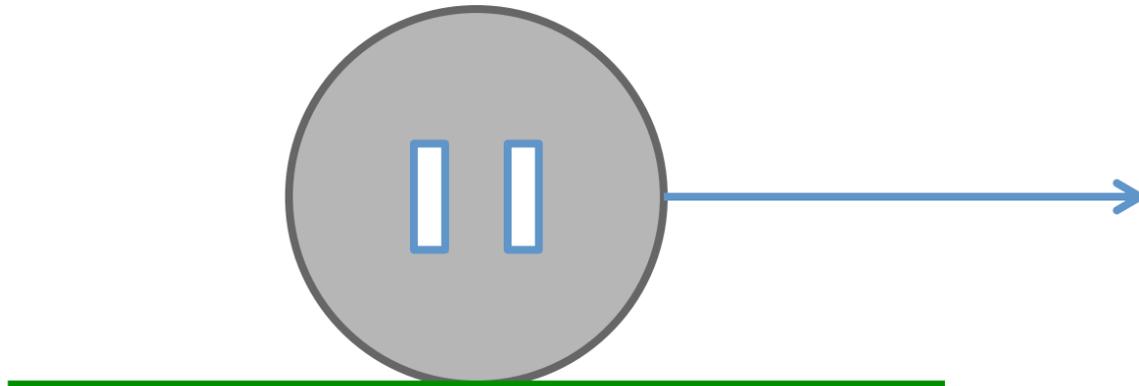
Slip Ratio = +ve

Rolling:



Slip Ratio = 0

Locked:



Slip Ratio = -1



Input parameters: Slip Ratio

$$\textit{SlipRatio} = \frac{\Omega r}{V_x} - 1$$

Ω Angular velocity of wheel

r Wheel radius

V_x Longitudinal wheel velocity

```
float longitudinal_wheel_speed_ms = wheel_contact_velocity_relative_to_ground.dot(wheel_forward_dir);  
  
float wheel_slip_ratio_SAE = ((wheel_angular_velocity * wheel_radius) / longitudinal_wheel_speed_ms) - 1.0f;
```

Gotcha: Slip Ratio

$$\text{SlipRatio} = f(\Omega, V_x) \frac{(\Omega r - V_x)}{|V_x|}$$

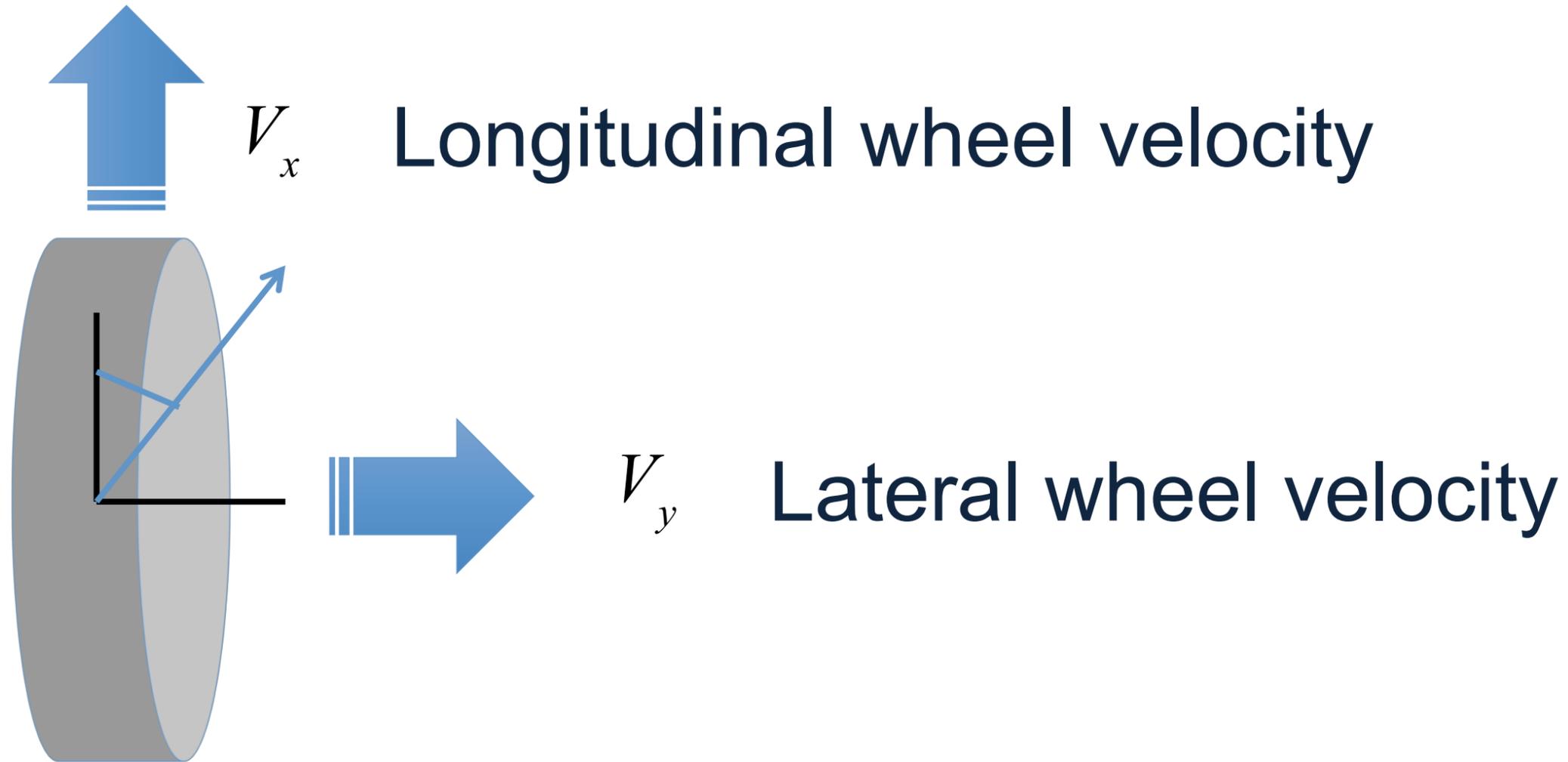
```
float longitudinal_wheel_speed_ms = wheel_contact_velocity_relative_to_ground.dot(wheel_forward_dir);

// Work whether wheel angular velocity is reliable for its sign direction
bool is_wheel_stopped = abs(wheel_angular_velocity) < kEpsilon;

// When wheel is locked / stopped - slide direction (+/-1.0f) comes from the wheel speed
float slide_sgn = is_wheel_stopped ? Signf(longitudinal_wheel_speed_ms) : Signf(wheel_angular_velocity);

float wheel_slip_speed_ms = ((wheel_angular_velocity * wheel_radius) - longitudinal_wheel_speed_ms) * slide_sgn;
float wheel_slip_ratio_SAE = wheel_slip_speed_ms / abs(longitudinal_wheel_speed_ms);
```

Slip Angle



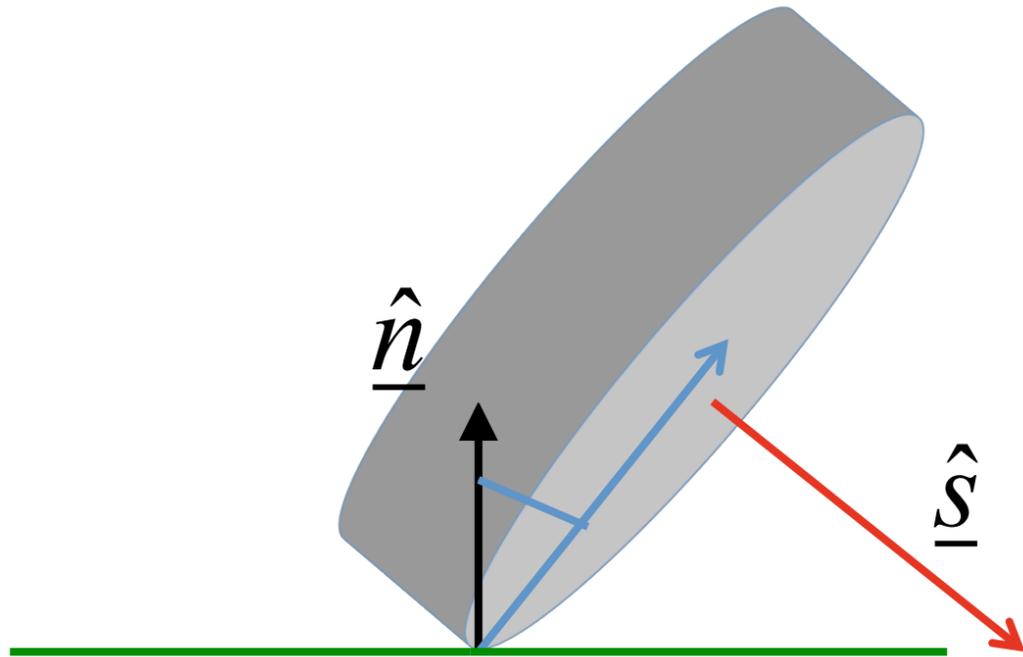
Input parameters: Slip Angle

$$\textit{SlipAngle} = \arctan\left(\frac{V_y}{|V_x|}\right)$$

V_x Longitudinal wheel velocity
 V_y Lateral wheel velocity

```
float longitudinal_wheel_speed_ms = wheel_contact_velocity_relative_to_ground.dot(wheel_forward_dir);  
float lateral_wheel_speed_ms = wheel_contact_velocity_relative_to_ground.dot(wheel_right_dir);  
  
float wheel_slip_angle_rad = atan2(lateral_wheel_speed_ms , abs(longitudinal_wheel_speed_ms));
```

Camber Angle



$$\text{CamberAngle} = \frac{\pi}{2} - \arccos(\underline{\hat{n}} \cdot \underline{\hat{s}})$$

$\underline{\hat{n}}$ Ground Contact Normal

$\underline{\hat{s}}$ Wheel Spin Axis

```
float camber_cosangle = clampf(wheel_contact_normal.dot(spin_axis_world), -1.0f, 1.0f);  
float wheel_camber_rad = (PI / 2.0f) - acos(camber_cosangle);
```

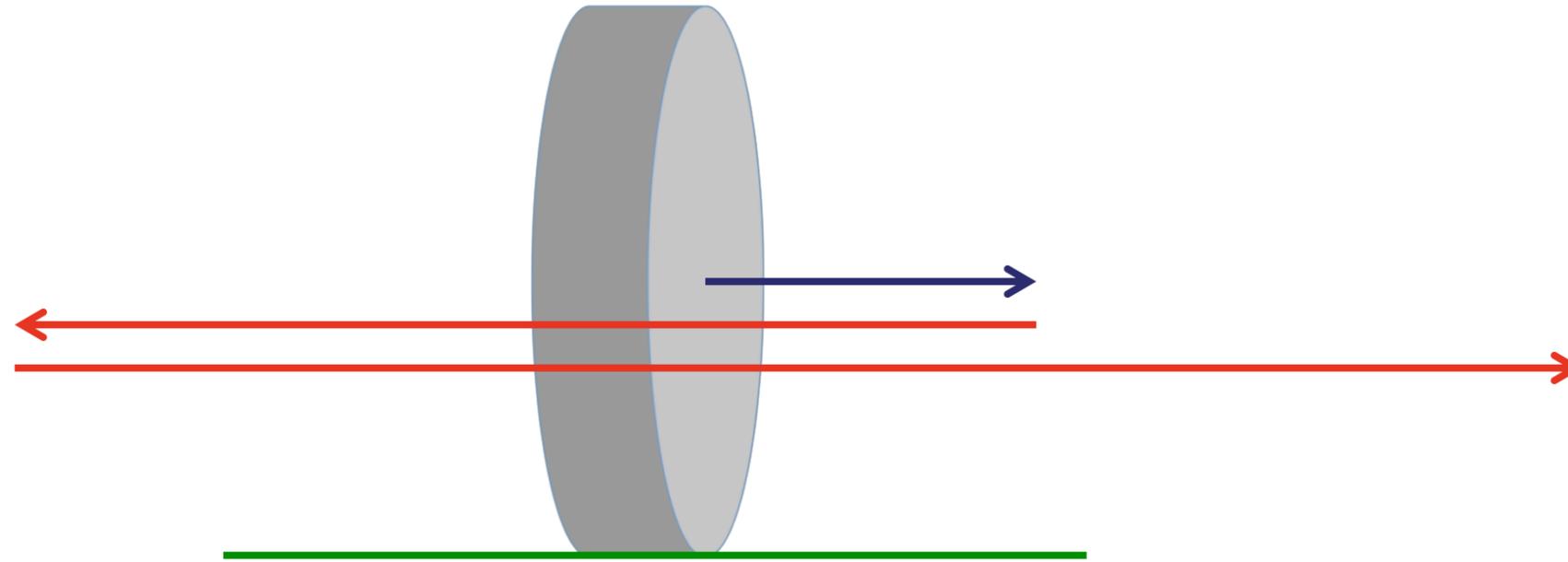
Input parameters: Wheel Load



```
float wheel_load = powf(suspension_force_at_rest, 1.0f - wheel_load_responsiveness) *  
                    powf(suspension_force, wheel_load_responsiveness);
```

Higher than real grip

- Model can diverge:



Meaning the grip (which is a kind of drag) is flipping the sign of the velocity

Friction clamps

- Don't let too much friction force flip the sign of the velocity.

$$Force_{Max} = -\frac{m|\underline{v}|}{timestep}$$

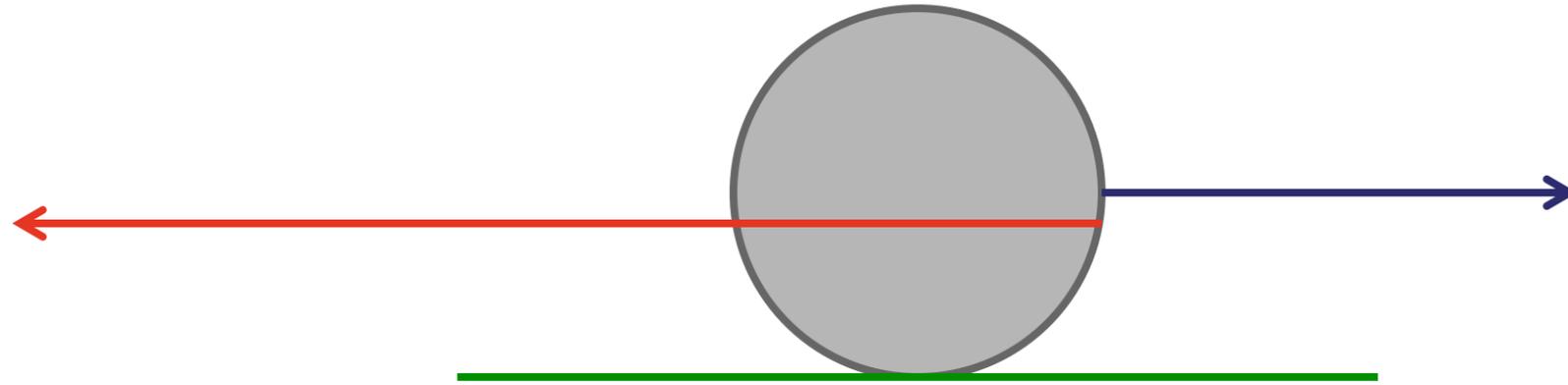
- This is the force required to stop the object in a single timestep.
- Tires are a bit more complicated.

Useful Mass

Scale your clamp per wheel by how much that wheel should contribute

```
float wheel_load_factor = wheel_load / total_wheel_load;  
float useful_mass = wheel_load_factor * vehicle_mass;
```

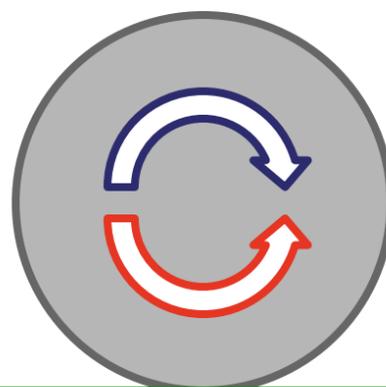
Longitudinal Friction Clamp



```
float max_fwd_force = (useful_mass * wheel_slip_speed_ms / delta_time)
+ (wheel_torque * slide_sgn / wheel_radius);
```

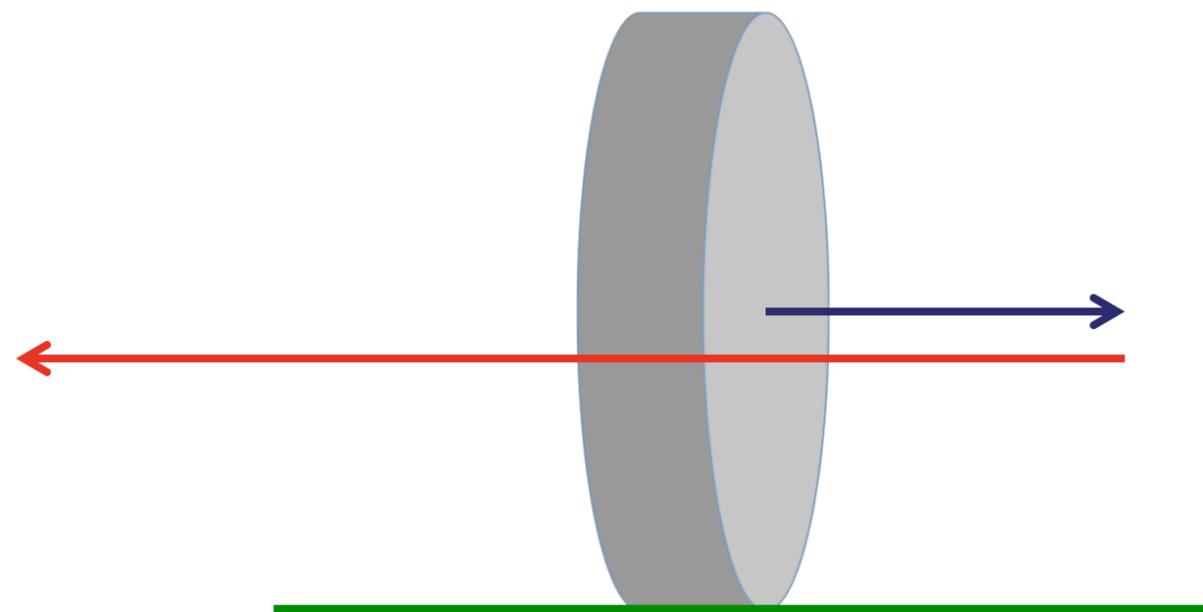
Angular Clamp

Prevent wheel spinning wrong way relative to the road



```
float estimated_longitudinal_wheel_speed_ms = longitudinal_wheel_speed_ms +  
                                             (fwd_force * slide_sgn * delta_time / vehicle_mass);  
float estimated_new_road_spin_velocity = estimated_longitudinal_wheel_speed_ms / wheel_radius;  
  
float spin_vel_diff = wheel_angular_velocity - estimated_new_road_spin_velocity;  
float spin_friction = (spin_vel_diff / (wheel_inv_inertia * delta_time));  
float spin_max_ground_fwd_force = spin_friction * slide_sgn / wheel_radius;
```

Lateral Clamp



Lateral Clamp

Simple?

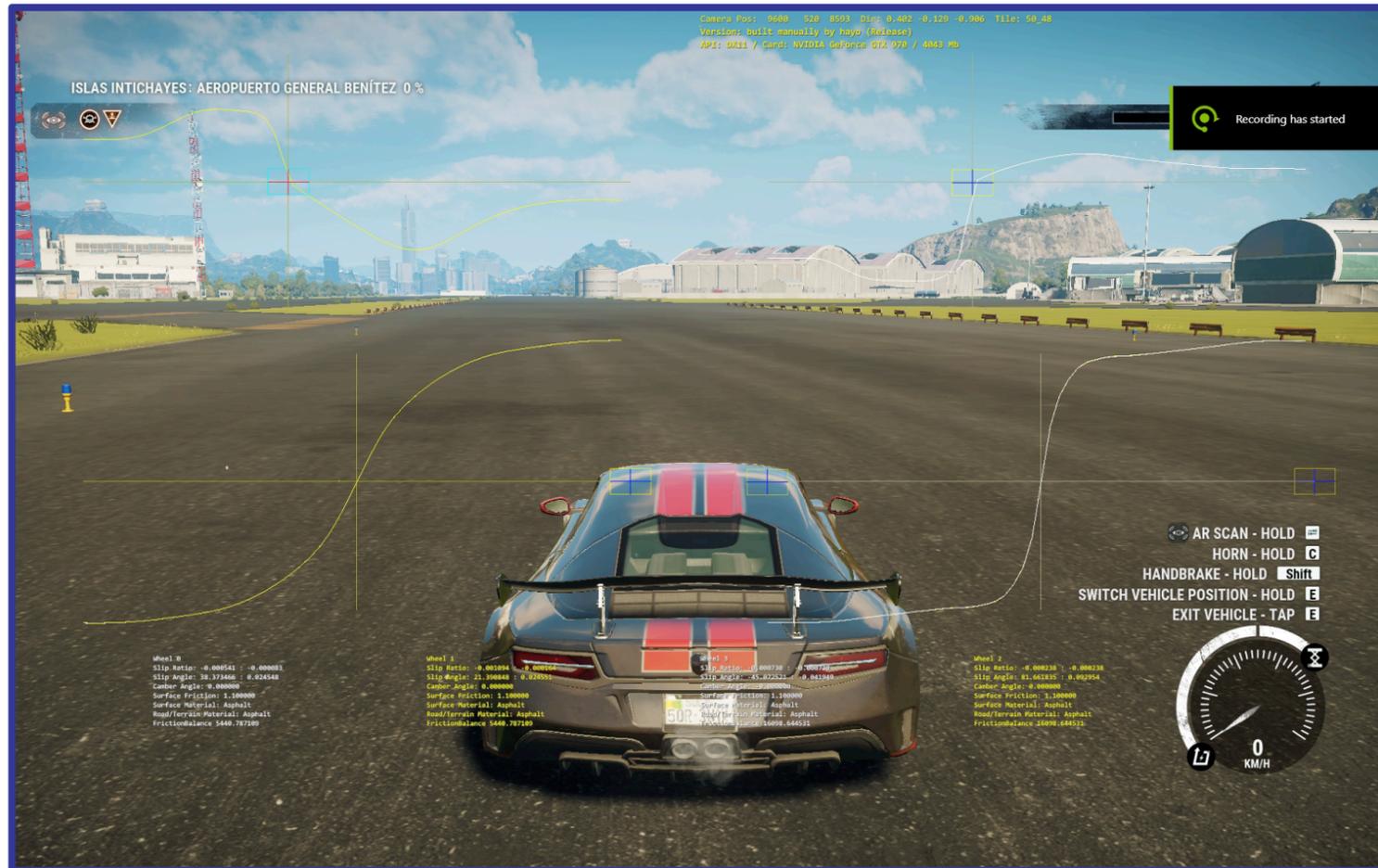
```
float max_right_force = (useful_mass * wheel_speed_right_ms / delta_time);
```

Lateral Clamp

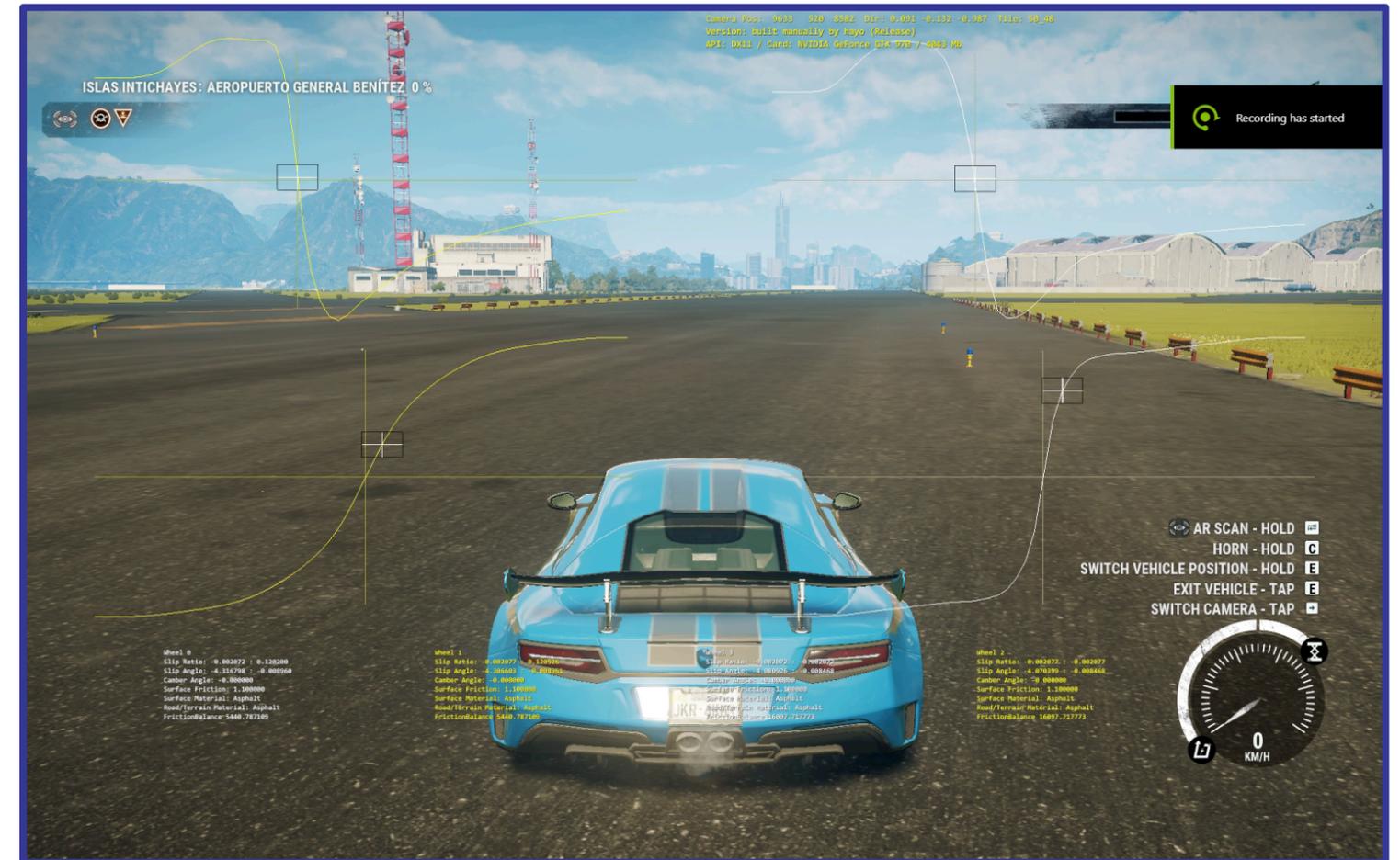
```
float wheel_load_factor = wheel_load / total_wheel_load;
float max_right_force = right_force;
vector wheel_arm = wheel_force_position - vehicle_center_of_mass_in_world;

// Determine the axis of rotation due to the force
vector arm_cross_force = vector::cross(wheel_arm, wheel_right);
vector force_rotation_axis = arm_cross_force.normalize();
if (!force_rotation_axis.isZero())
{
    vector inertia_force_rotation_axis_vector = vehicle_inertia_matrix * force_rotation_axis;
    float inertia_around_force_rotation_axis = abs(force_rotation_axis.dot(inertia_force_rotation_axis_vector));
    vector arm_cross_force_cross_arm = vector::cross(arm_cross_force, wheel_arm);
    float inverse_angular_factor = arm_cross_force_cross_arm.dot(wheel_right) / inertia_around_force_rotation_axis;
    float inverse_mass = 1.0f / vehicle_mass;
    float inertia_at_point = 1.0f / (inverse_mass + inverse_angular_factor);
    // Compare this with mass to see how much the slamp is affected by the rotational component
    max_right_force = - wheel_load_factor * inertia_at_point * wheel_speed_right_ms / delta_time;
}
else
{
    max_right_force = - wheel_load_factor * vehicle_mass * wheel_speed_right_ms / delta_time;
}
```

Friction clamps in action

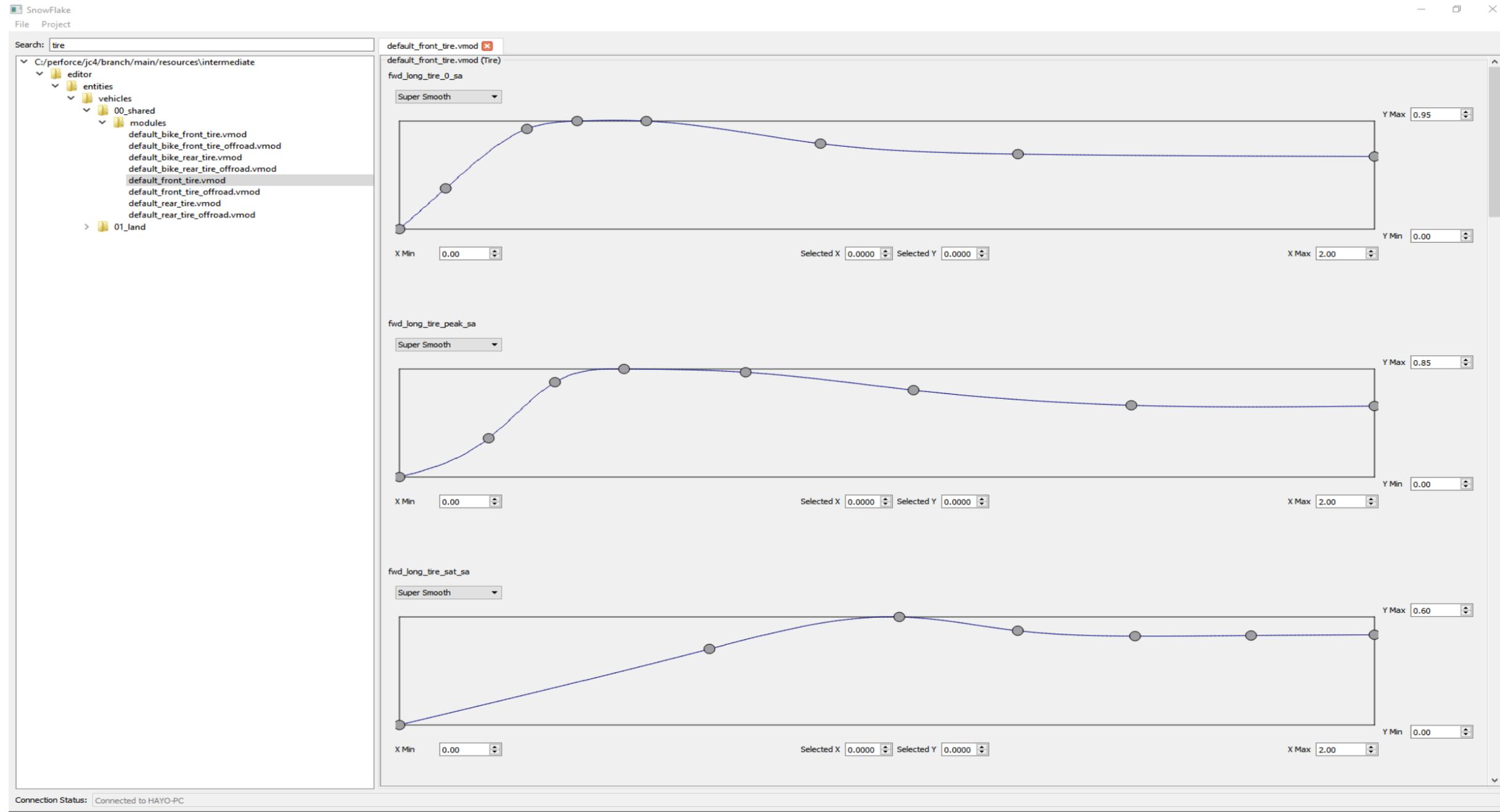


Friction clamp on

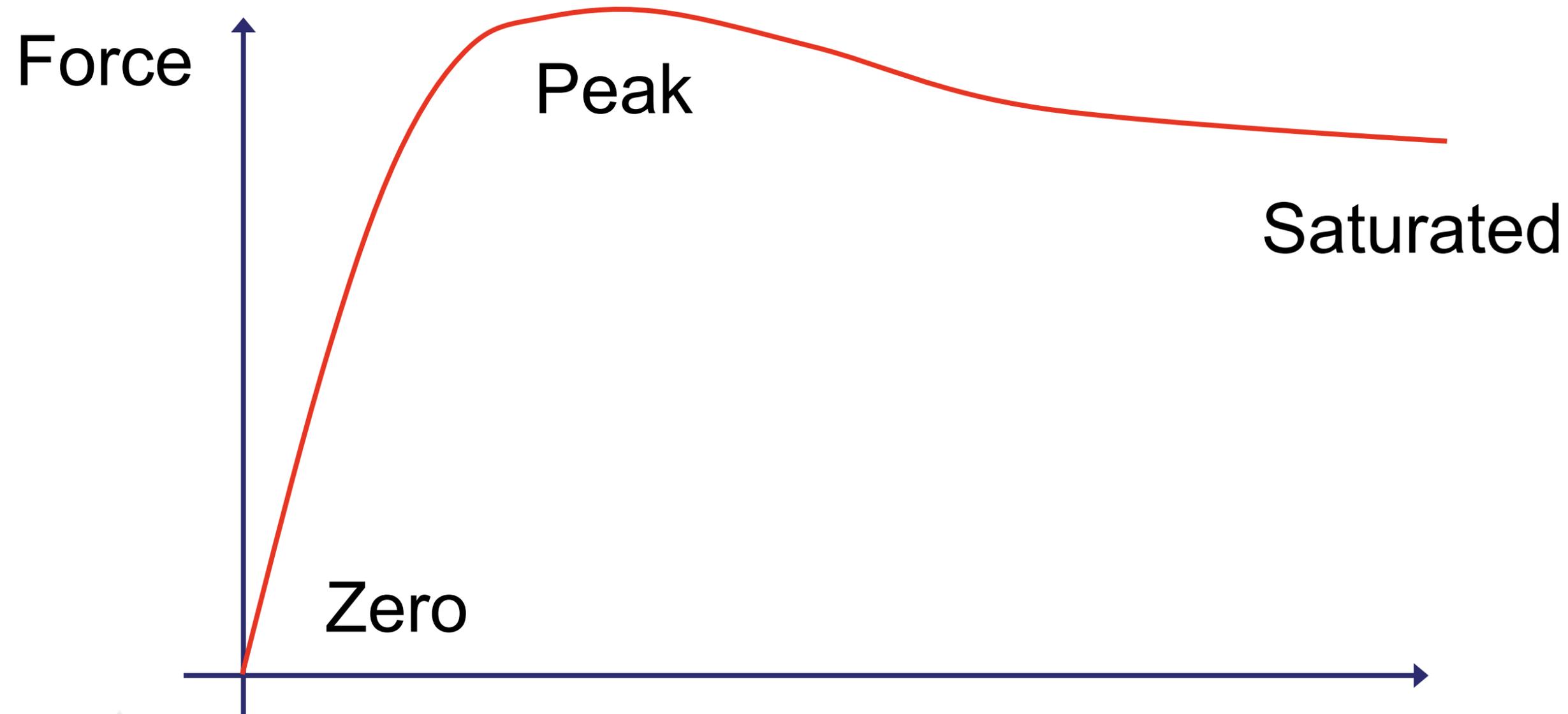


Friction clamp off

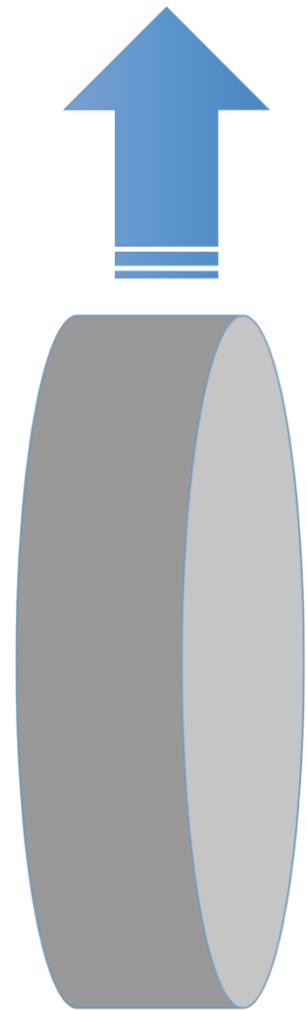
Draw friction curves



3 phases per direction



Longitudinal force vs Slip Ratio



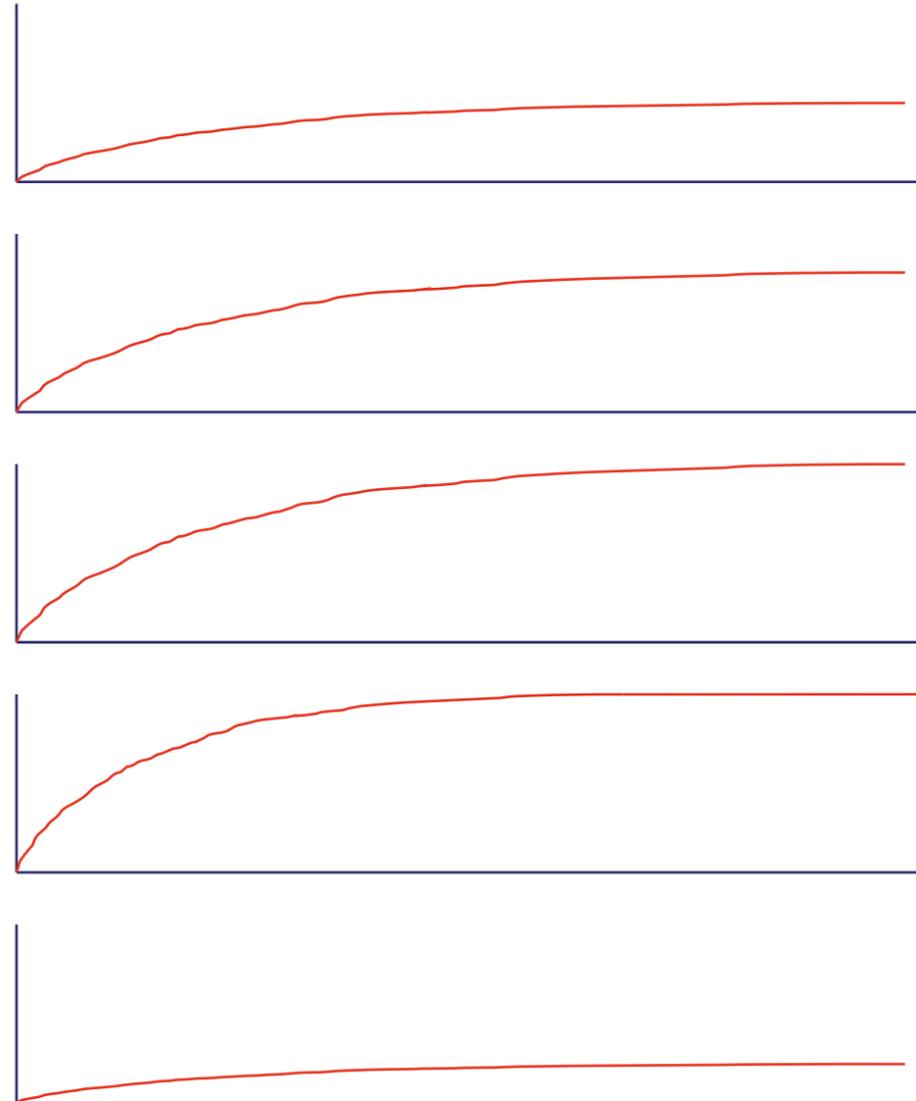
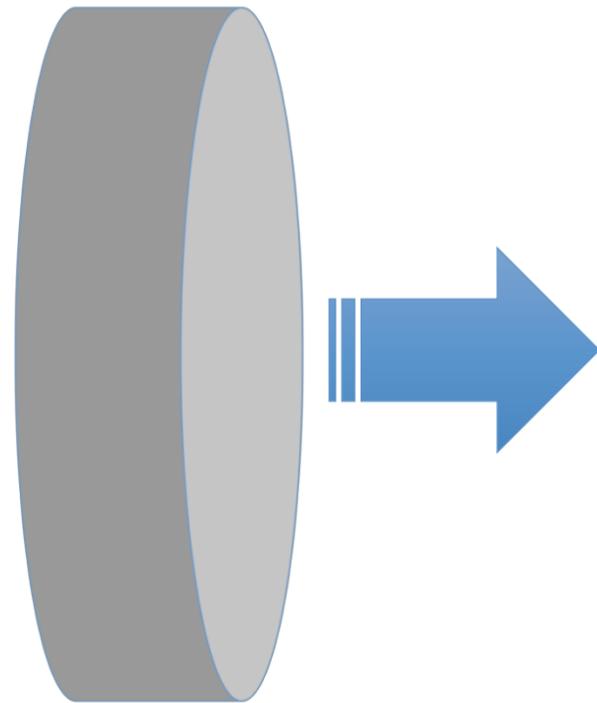
Zero Slip Angle

Peak Slip Angle

Saturated Slip Angle



Lateral force vs Slip Angle



Saturated Slip Angle

Peak Slip Angle

Zero Slip Ratio

Peak Slip Angle

Saturated Slip Angle



Apply forces

- Grip
 - Authored value usually different for front & rear wheels
 - Material multiplier

$$\text{Impulse} = \text{Grip} * \text{Graph} * \text{WheelLoad} * \text{TimeStep}$$

Too much grip!

- Reduce pitch and roll angular components
 - Decompose impulse at point to linear impulse & angular
 - Apply factor to roll and pitch components
 - Apply linear impulse and angular to rigid body

Summary

- Similar input parameters as simulation models
- Higher grip than real (especially in braking phase)
- Friction clamps to stay physically stable
- Drawn friction curves
- Scale down pitch and roll components
- Add “driver assists” e.g. drift control on whole vehicle

Drift

- Big topic
- Much like a Kart Racer
- Control the turn of the velocity more directly
- Something for another talk

THANKS!

Q&A

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